

$$x_d(t) = x(t) + \frac{d y'(t)}{\sqrt{x'(t)^2 + y'(t)^2}}$$

$$y_d(t) = y(t) - \frac{d x'(t)}{\sqrt{x'(t)^2 + y'(t)^2}}$$

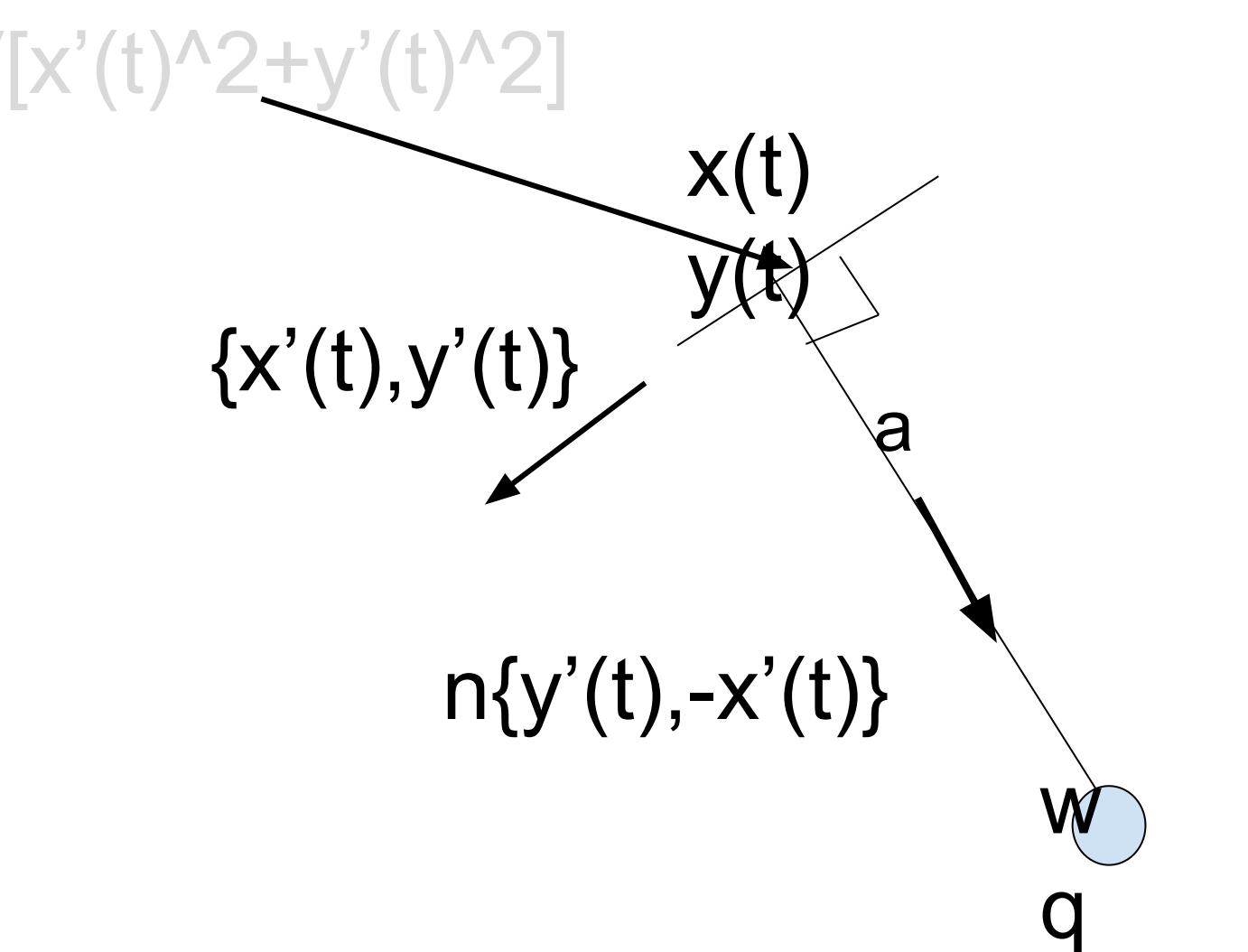
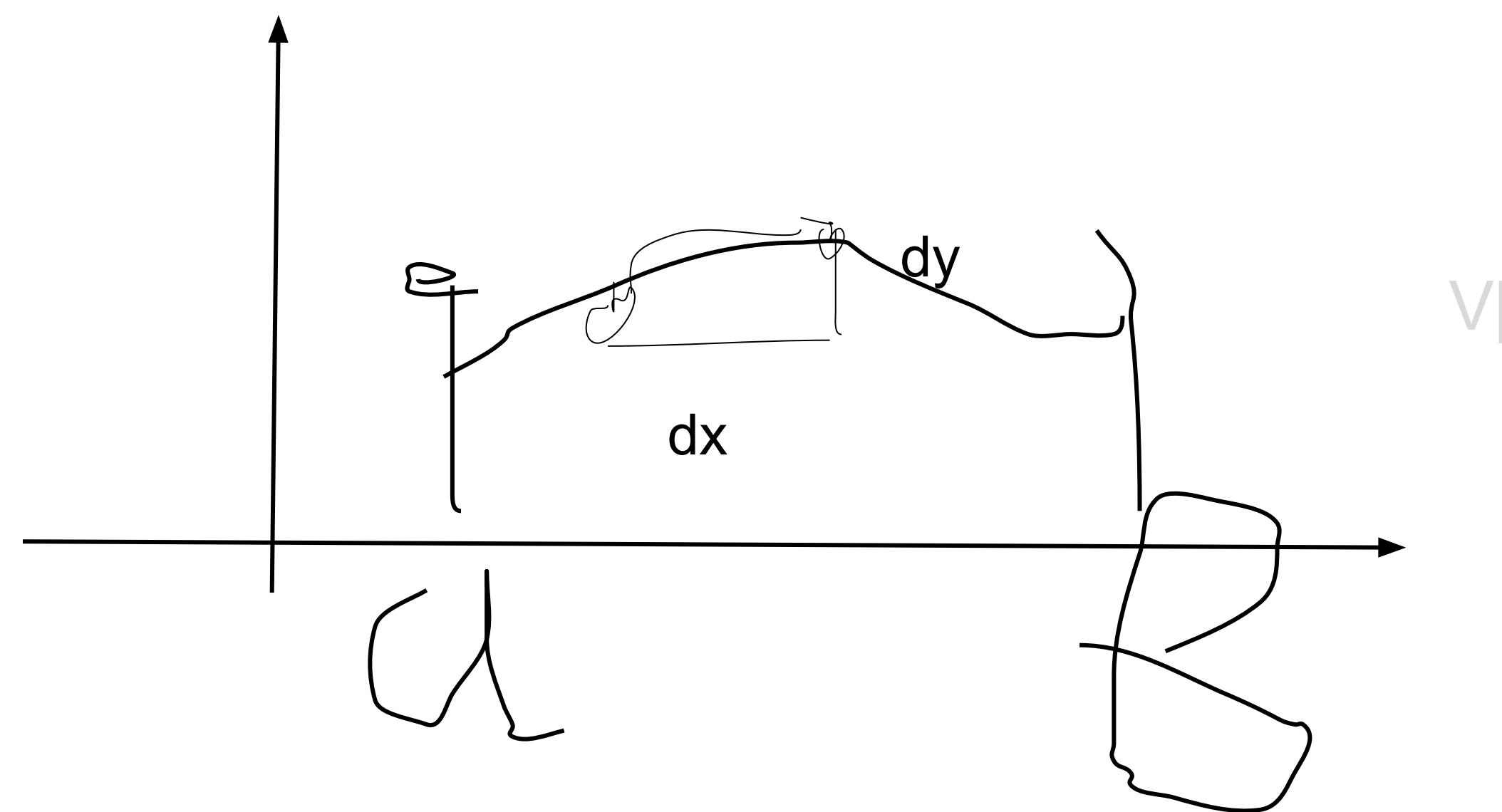
$$L = \int (dx^2 + dy^2)$$

$$y = y(t), \frac{dy}{dt} = y'(t), dy = y'(t)dt$$

$$x = x(t), \frac{dx}{dt} = x'(t), dx = x'(t)dt$$

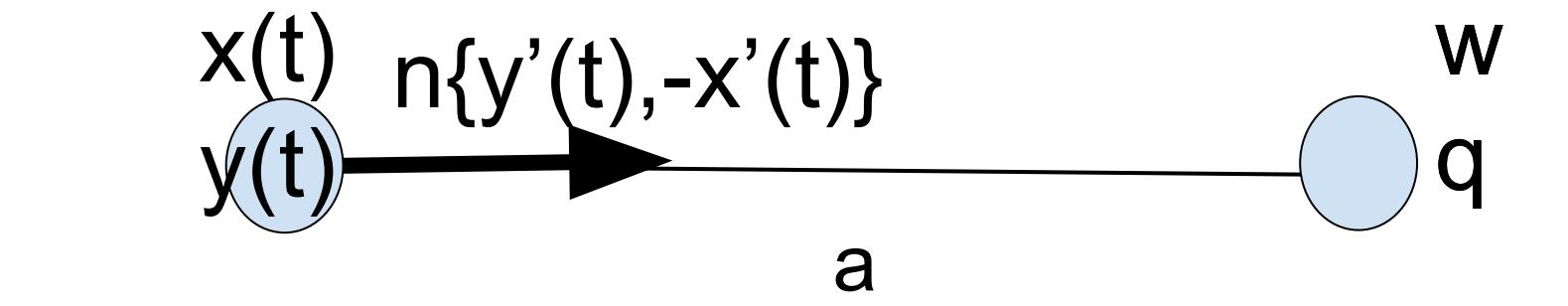
$$S[a;b] \int (dx^2 + dy^2) = S[a;b] \int (1 + (dy/dx)^2) dx$$

$$S[a;b] \int (dx^2 + dy^2) = S[a;b] \int (y'(t)^2 + x'(t)^2) dt$$



$$a^2 = (w-x(t))^2 + (q-y(t))^2$$

$$[w-x(t)] / y'(t) = [q - y(t)] / -x'(t)$$

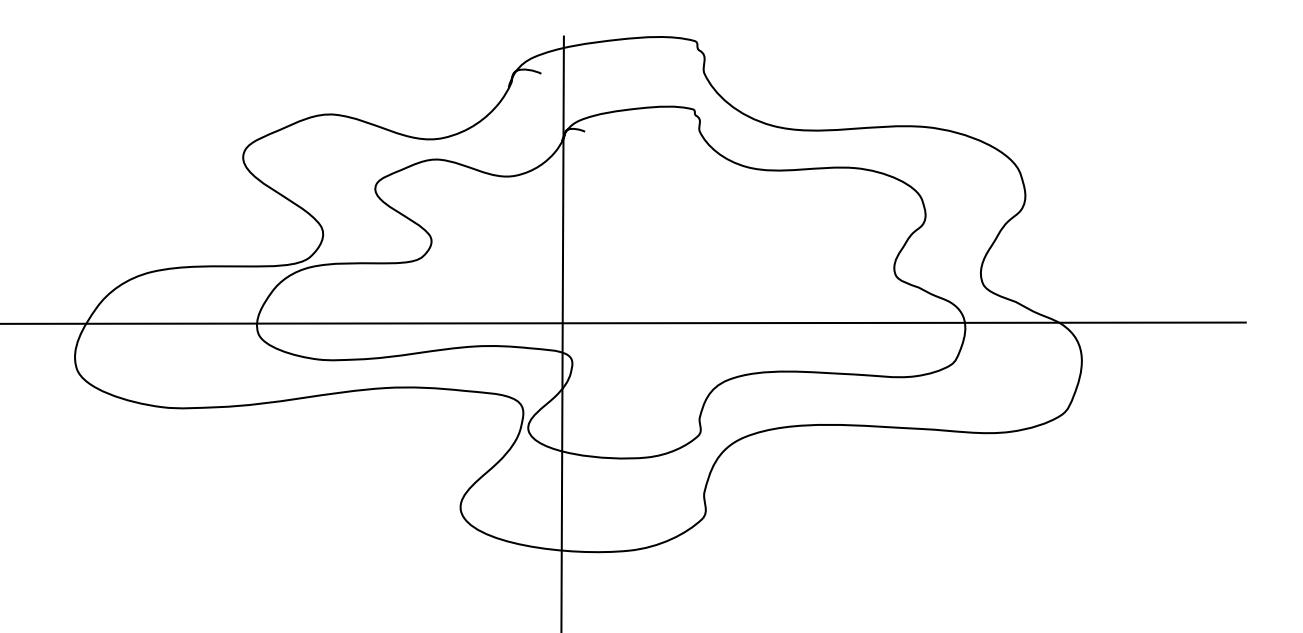


$$w - x(t) = a * y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$q - y(t) = -a * x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$w = x(t) + a * y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$q = y(t) - a * x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$



Расстояние  $d$  от точки  $M_0(x_0, y_0)$  до прямой, заданной уравнением общего вида  $Ax+By+C=0$  определяется по формуле:

$$d = \frac{|Ax_0 + By_0 + C|}{\sqrt{A^2 + B^2}}$$

общее  
 $Ax+By+C=0$   
 $Ax=-By-C$   
 каноническое  
 $Ax/(-B)=(y+C/B)$   
 $x/(-B)=(y+C/B)/A=t$   
 параметрическое  
 $x=Bt$   
 $y=At + C/B$

$$n\{y'(t), -x'(t)\}^* g = s\{w - x(t), q - y(t)\}$$

$$w = x(t) + g^* y'(t)$$

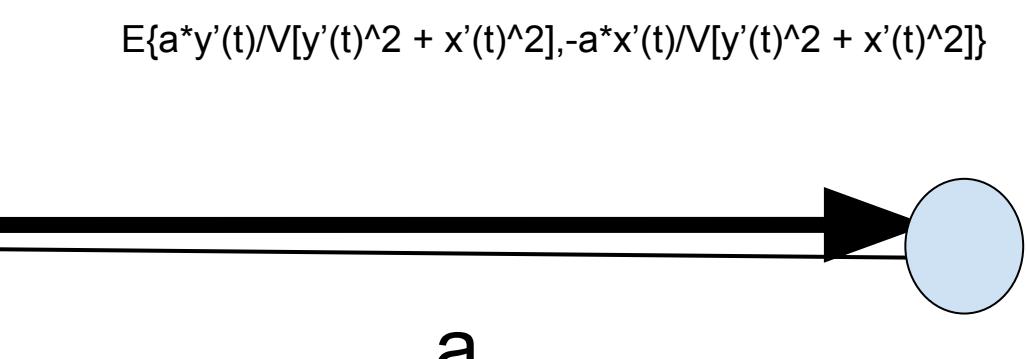
$$q = y(t) - g^* x'(t)$$

$$n\{y'(t), -x'(t)\}$$

$$|n| = \sqrt{[y'(t)^2 + (-x'(t))^2]} = \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$e = n / |n| = \{y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}, -x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}\}$$

$$E\{a^* y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}, -a^* x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}\}$$



$$w - x(t) = a * y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$q - y(t) = -a * x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$w = x(t) + a * y'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$

$$q = y(t) - a * x'(t) / \sqrt{[y'(t)^2 + x'(t)^2]}$$